

[REDACTED]

Student Name: _____

Short test 2

(Refer to textbook, lecture notes and/or other assigned readings. You will also be using the downloaded activity resources from module 2)

An engineer is trying to determine the suitability of two metal alloys (alloy A and alloy B) in fabricating industrial machinery fuse elements - the part of the fuse which melts after reaching a certain temperature or current. Samples are taken from batches of alloys and are subjected to laboratory test where the melting temperatures are recorded. The melting temperatures for both alloys are provided in the excel file. The engineer had asked your help describing the extremely high and extremely low melting temperatures of the alloys by using G-I plot for minima and maxima. (for all numeric questions, please specify your answers in three decimal places of accuracy, #.### - format, using standard convention in rounding of values)

1. For alloy A, what is the plotting position v for the largest of the minimal values?

 2. What is the plotting position v for the largest of the maximal values?

 3. What is the asymptotic distribution of the minimal melting temperature of alloy A?

 4. What is the asymptotic distribution of the maximal melting temperature of alloy A?
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- [REDACTED]

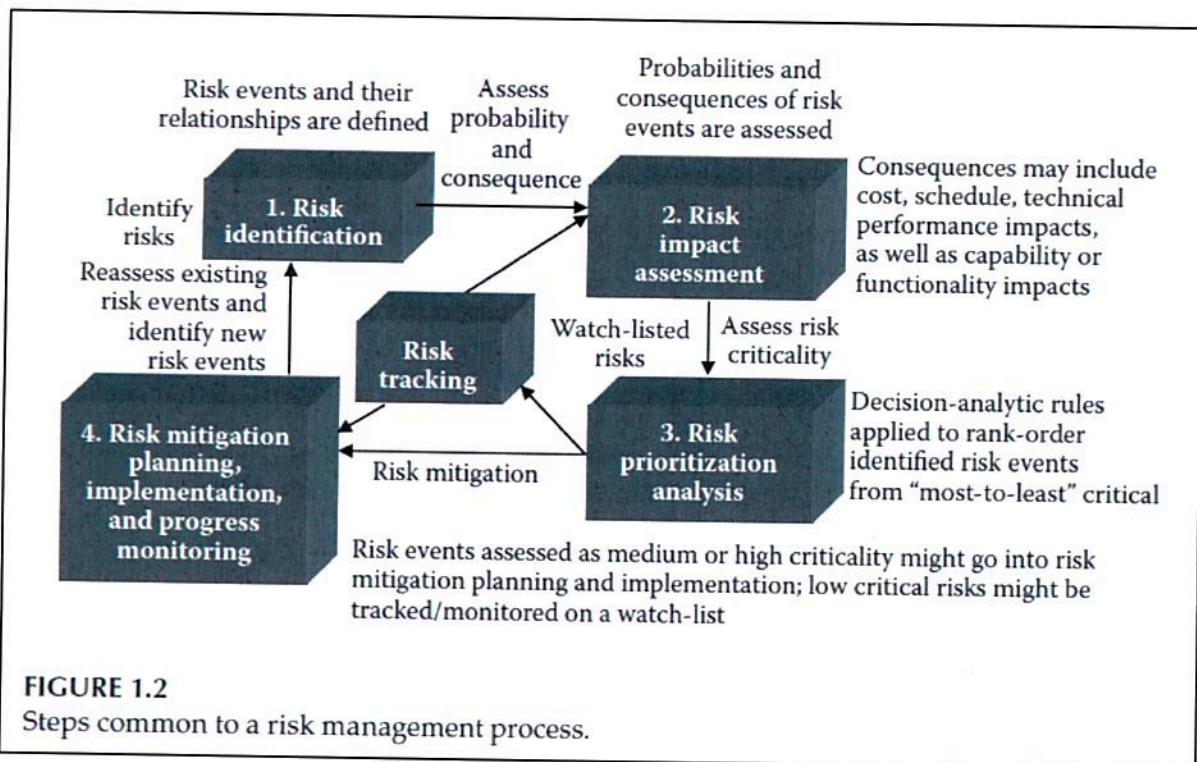
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Short test #1

The aim of engineering risk management was described in Module 1 as the early and continuous identification, management, and resolution of risks such that the engineering of a system is accomplished within cost, delivered on time, and meets user needs. Discuss protocols needed on an engineering system project to ensure early and continuous identification of risks throughout a project's life cycle.

As discussed in Module 1, steps of the risk management process are considered generally the same for most engineering system projects. This process is illustrated in the figure below:

(a) Discuss how this process might be tailored for use in a risk management program designed for engineering a system-of-systems. (b) Discuss how this process might be tailored for use in a risk management program designed for engineering an enterprise system, one that consists of a web of systems and systems-of-systems.



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5. For alloy B, what is the plotting position v for the largest of the minimal values?

6. What is the plotting position v for the largest of the maximal values?

7. What is the asymptotic distribution of the minimal melting temperature of alloy B?

8. What is the asymptotic distribution of the maximal melting temperature of alloy B?

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Short test #3

Case 3.1

Consider the following case. Suppose a buyer needs to identify which of five car options is best across three evaluation criteria Car Color, Miles per Gallon (MPG), and Price. Furthermore, suppose the criterion MPG is twice as important as the criterion Car Color and Car Color is half as important as Price.

Suppose the buyer made the value assessments in Figure 3.20 for each criterion. Assume these criteria are mutually preferentially independent.

The three criteria are assumed to be mutually preferentially independent. It follows that the additive value function can be used to generate an overall score for the performance of each car across the three evaluation criteria. In this case, the additive value function is

$$V_Y(y) = w_1 V_{X_1}(x_1) + w_2 V_{X_2}(x_2) + w_3 V_{X_3}(x_3) \quad (\text{Equation 1})$$

where $V_{X_1}()$, $V_{X_2}()$, and $V_{X_3}()$ are the value functions for Car Color, MPG, and Price, respectively; and, w_i for $i = 1, 2, 3$ are nonnegative weights (importance weights) whose values range between 0 and 1 and where $w_1 + w_2 + w_3 = 1$.

Since the criterion MPG was given to be twice as important as the criterion Car Color and Car Color was given to be half as important as Price, the weights in Equation 1 are determined as follows: let w_1 denote the weight for Car Color, w_2 denote the weight for MPG, and w_3 denote the weight for Price. From this, $w_2 = 2w_1$ and $w_1 = w_3 / 2$.

Thus, $w_2 = 2\left(\frac{1}{2}w_3\right) = w_3$

Since $w_1 + w_2 + w_3 = 1$, it follows that

$$\frac{1}{2}w_3 + w_3 + w_3 = 1 \Rightarrow \frac{5}{2}w_3 = 1 \Rightarrow w_3 = \frac{2}{5} \Rightarrow w_2 = \frac{2}{5} \Rightarrow w_1 = \frac{1}{2}w_3 = \frac{1}{5}$$

From this, Equation 1 can be written as

$$V_Y(y) = \frac{1}{5}V_{X_1}(x_1) + \frac{2}{5}V_{X_2}(x_2) + \frac{2}{5}V_{X_3}(x_3)$$

(Equation 2)

Next, suppose the buyer collected data on the five car options according to their performance against each of the three criteria Car Color, MPG, and Price. In Table 1, the left half of the matrix shows the data on each car option across these criteria. The right half of the matrix shows the equivalent numerical scores from the value functions shown in Figure 1. The scores in the last column of Table 1 come from applying the value functions in Figure 1 to Equation 2. In Equation 2, the term $V_{x_1}(x_1)$ is given by the top function in Figure 1; the terms $V_{x_2}(x_2)$ and $V_{x_3}(x_3)$ are shown at the bottom of Figure 1. They are defined as

$$V_{x_2}(x_2) = \frac{1 - e^{-(x_2 - 10)/24.326}}{1 - e^{-(30 - 10)/24.326}}$$

$$V_{x_3}(x_3) = \frac{1 - e^{-(45 - x_3)/30.4076}}{1 - e^{-(45 - 20)/30.4076}}$$

For example, from Equation 2, Car 1 has the following overall value score.

$$V_Y(y) = \frac{1}{5} V_{x_1}(4) + \frac{2}{5} V_{x_2}(15) + \frac{2}{5} V_{x_3}(30)$$

$$V_Y(y) = \frac{1}{5} \frac{13}{15} + \frac{2}{5} (0.33) + \frac{2}{5} (0.69) = 0.58$$

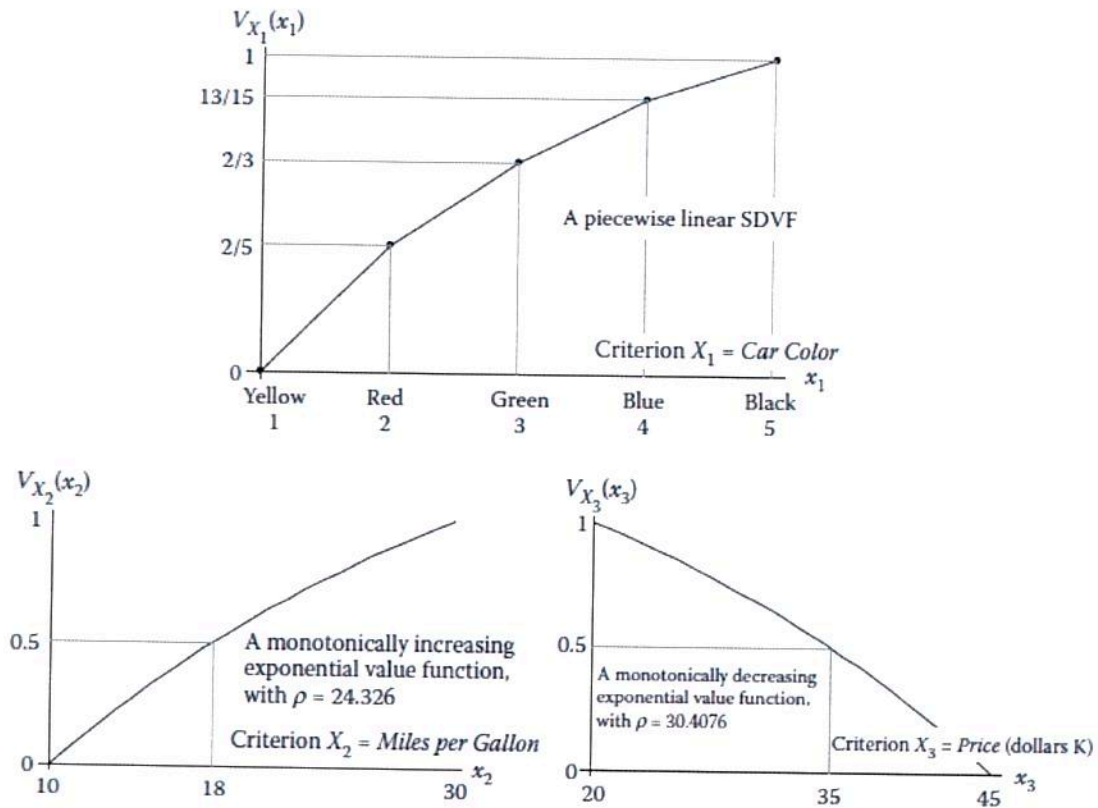
The overall value scores of the remaining car options are similarly computed. From this, Car 5 is the “best” choice followed by Car 2, Car 1, Car 3, and Car 4.

Table 1

A Performance Matrix of the Buyer's Car Options

	Criterion Level (Score)				Equivalent Value Scores			Overall Value Score
	Color	MPG	Price		Color	MPG	Price	
Car 1	4	15	30	Car 1	0.87	0.33	0.69	0.58
Car 2	1	22	25	Car 2	0.00	0.69	0.86	0.62
Car 3	5	18	38	Car 3	1.00	0.50	0.37	0.55
Car 4	3	12	42	Car 4	0.67	0.14	0.17	0.26
Car 5	2	28	21	Car 5	0.40	0.93	0.97	0.84

Figure 1



1. Generate right-half of Table 1 using MS Excel
2. Generate a revised Table based on this new set of raw data:

	Color	MPG	Price
Car 1	1	23	35
Car 2	3	25	40
Car 3	2	30	38
Car 4	5	20	39
Car 5	1	33	45

3. Give 3 NEW examples each of nominal scale, ordinal scale, cardinal interval scale, and cardinal ratio scale (include in the Excel file submission).

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Short test 4

Consider Haime's 11 criteria for risk ranking and how they were used to rank failure of sub-system X (see table). Apply Borda Algorithm discussed in Module 5 to rank the failures of these various sub-systems.

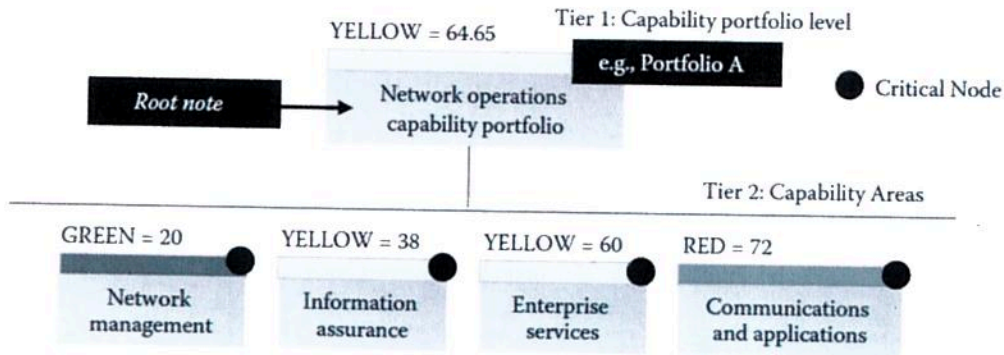
Table VII. Scoring of Subtopics for OOTW Using the Criteria Hierarchy						
Criteria	1.1 Telephone	1.2 Cellular	2. Cable	3.1 CIS	4. Satellite	5. International
Undetectability	Low	Low	Med	High	Low	High
Uncontrollability	Med	Med	High	High	Med	High
Multiple Paths to Failure	High	Med	High	High	Med	High
Irreversibility	Med	High	Med	High	High	Low
Duration of Effects	High	High	High	High	High	High
Cascading Effects	Med	Med	Low	Low	High	High
Operating Environment	High	High	High	High	Med	High
Wear and Tear	Med	High	Low	High	Med	High
Hardware/Software/Human/Organizational	High	High	Med	High	High	High
Complexity and Emergent Behaviors	Med	High	Low	High	High	High
Design Immaturity	Med	High	Med	High	High	Med

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Short test 5

1. Show and explain why critical average and max average rules both generate a risk measure of 64.65 for the node labeled Network Operations Capability portfolio. Refer to Figure 1 below-

Figure 1.



Suppose all Tier 2 capability areas are critically important nodes to the portfolio

2. Suppose the Figure 2 presents a portion of a capability portfolio defined as part of engineering an enterprise system. Given the information shown, apply the risk analysis algebra in Module 6 to derive a risk measure for Capability 3.2. What risks are driving this measure?

Figure 2.

