



the four shifts listed in the above table. Part-time consultants are paid \$30 per hour. An additional requirement is that during every time period, there must be at least 2 full-time consultants on duty for every part time consultant on duty. Eddie would like to determine how many full-time and how many part-time workers should work each shift to meet the above requirements at the minimum possible cost.

- Formulate an integer programming model for this problem. *Be sure to define your decision variables!*
- Use LINDO (or LINGO) to find the optimal solution.

- (Modification of Exercise 3.4-9, page 81, of Hillier & Lieberman text, 9<sup>th</sup> edition) Ralph Edmund loves steaks and potatoes. Therefore, he has decided to go on a steady diet of only these two foods (plus some liquids and vitamin supplements) for all his meals. Ralph realizes that this isn't the healthiest diet, so he wants to make sure that he eats the right quantities of the two foods to satisfy some key nutritional requirements. He has obtained the nutritional and cost information shown at the top of the next column.

Ingredient	Grams of Ingredient per Serving		Daily Requirement (Grams)
	Steak	Potatoes	
Carbohydrates	5	15	$\geq 50$
Protein	20	5	$\geq 40$
Fat	15	2	$\leq 60$
Cost per serving	\$8	\$4	

Ralph wishes to determine the number of daily servings (may be fractional) of steak and potatoes that will meet these requirements at a minimum cost.

- Formulate a linear programming model for this problem, and use the graphical method to solve this model. *Be sure to define your decision variables!*
  - Use LINDO (or LINGO) to solve this model.
- (Exercise 3.4-12, page 82, of Hillier & Lieberman text, 9<sup>th</sup> edition) The Medequip Company produces precision medical diagnostic equipment at two factories. Three medical centers have placed orders for this month's production output. The table below shows what the cost would be for shipping each unit from each factory to each of these customers. Also shown are the number of units that will be produced at each factory and the number of units ordered by each customer:

From \ To	Unit Shipping Cost			Output
	Customer 1	Customer 2	Customer 3	
Factory 1	\$600	\$800	\$700	400 units
Factory 2	\$400	\$900	\$600	500 units
Order size	320 units	220 units	420 units	

A decision now needs to be made about the shipping plan for how many units to ship from each factory to each customer.

- Formulate a linear programming model (LP) for this problem. *Be sure to define your decision variables!*
- Use LINDO (or LINGO) to find the optimal solution

5. (Modification of Exercise 3.4-14, page 82, of Hillier & Lieberman text, 9<sup>th</sup> edition)  
 The Metalco Company desires to blend a new alloy of 40 percent tin, 35 percent zinc, and 25 percent lead from several available alloys having the following properties:

Property	Alloy				
	1	2	3	4	5
Percentage of tin	60	25	45	20	50
Percentage of zinc	10	15	45	50	40
Percentage of lead	30	60	10	30	10
Cost (\$/lb)	87	75	78	87	98

The objective is to determine the proportions of these alloys that should be blended to produce the new alloy at a minimum cost.

- Formulate a linear programming model (LP) for this problem. *Be sure to define your decision variables!*
- Use LINDO (or LINGO) to find the optimal solution