



19. Refer to Problem 18. Floyd's Bumpers pays a transportation company to ship its product in full truckloads to its customers. Therefore, the cost for shipping is a function of the distance traveled and a fuel surcharge (also on a per-mile basis). The cost per mile is \$2.42, and the fuel surcharge is \$0.56 per mile. The file *FloydsMay* contains data for shipments for the month of May (each record is simply the customer zip code for a given truckload shipment) as well as the distance table from the distribution centers to each customer. Use the MATCH and INDEX functions to retrieve the distance traveled for each shipment, and calculate the charge for each shipment. What is the total amount that Floyd's Bumpers spends on these May shipments?
- Hint:* The INDEX function may be used with a two-dimensional array: =INDEX(array, row_num, column_num), where array is a matrix, row_num is the row number, and column_num is the column position of the desired element of the matrix.
20. An auto dealership is advertising that a new car with a sticker price of \$35,208 is on sale for \$25,995 if payment is made in full, or it can be financed at 0 percent interest for 72 months with a monthly payment of \$489. Note that 72 payments \times \$489 per payment = \$35,208, which is the sticker price of the car. By allowing you to pay for the car in a series of payments (starting one month from now) rather than \$25,995 now, the dealer is effectively loaning you \$25,995. If you choose the 0 percent financing option, what is the effective interest rate that the auto dealership is earning on your loan? *Hint:* Discount the payments back to current dollars (see Problem 16 for a discussion of discounting), and use Goal Seek to find the discount rate that makes the net present value of the payments = \$25,995.

Case Problem Retirement Plan

Tim is 37 years old and would like to establish a retirement plan. Develop a spreadsheet model that could be used to assist Tim with retirement planning. Your model should include the following input parameters:

- Tim's current age = 37 years
- Tim's current total retirement savings = \$259,000
- Annual rate of return on retirement savings = 4 percent
- Tim's current annual salary = \$145,000
- Tim's expected annual percentage increase in salary = 2 percent
- Tim's percentage of annual salary contributed to retirement = 6 percent
- Tim's expected age of retirement = 65
- Tim's expected annual expenses after retirement (current dollars) = \$90,000
- Rate of return on retirement savings after retirement = 3 percent
- Income tax rate postretirement = 15 percent

Assume that Tim's employer contributes 6% of Tim's salary to his retirement fund. Tim can make an additional annual contribution to his retirement fund before taxes (tax tree) up to a contribution of \$16,000. Assume he contributes \$6,000 per year. Also, assume an inflation rate of 2%.

Managerial Report

Your spreadsheet model should provide the accumulated savings at the onset of retirement as well as the age at which funds will be depleted (given assumptions on the input parameters).

As a feature of your spreadsheet model, build a data table to demonstrate the sensitivity of the age at which funds will be depleted to the retirement age and additional pre-tax contributions. Similarly, consider other factors you think might be important.

Develop a report for Tim outlining the factors that will have the greatest impact on his retirement.

FIGURE 11.8 SETTING UP SANOTRONICS SPREADSHEET FOR MULTIPLE SIMULATION TRIALS

	A	B	C	D	E	F
1	Sanotronics					
2						
3	Parameters					
4	Selling Price per Unit	249				
5	Administrative & Advertising Cost	100000				
6	Direct Labor Cost per Unit	=VLOOKUP(RAND(), A15:C19,3,TRUE)				
7	Parts Cost per Unit	=F14+(F15-F14)*RAND()				
8	Demand	=NORM.INV(RAND(),F18,F19)				
9						
10	Model					
11	Profit	=(B4-B6-B7)*B8)-B5				
12						
13	Direct Labor Cost					
14	Lower End of Interval	Upper End of Interval	Cost per Unit	Probability	Lower Bound	Upper Bound
15	0	=D15+A15	43	0.1	43	100
16	=B15	=D16+A16	44	0.2	44	
17	=B16	=D17+A17	45	0.4	45	
18	=B17	=D18+A18	46	0.2	46	15000
19	=B18	1	47	0.1	47	4500
20						
21	Simulation Trial	Direct Labor Cost Per Unit	Parts Cost per Unit	Demand	Profit	
22	1	=B6	=B7	=B8	=B11	
23	2					
24	3					
1019	998					
1020	999					
1021	1000					

Data Table

Row input cell: D1

Column input cell:

OK Cancel

and sample proportion. To compute these statistics for the Sanotronics example, we use the following Excel functions:

- Cell H22 = AVERAGE(E22:E1021)
- Cell H23 = STDEV.S(E22:E1021)
- Cell H24 = MIN(E22:E1021)
- Cell H25 = MAX(E22:E1021)
- Cell H26 = COUNTIF(E22:E1021,"<0")/COUNT(E22:E1021)

Cell H26 computes the ratio of the number of trials whose profit is less than zero over the total number of trials. Note by changing the value of the second argument in the COUNTIF function, the probability that the profit is less than any specified value can be computed in cell H26. As shown in Figure 11.9, we observe a mean profit of \$717,663, standard deviation of \$521,536, extremes ranging between -\$996,547 and \$2,253,674, and a 0.078 estimated probability of a loss.

Excel versions prior to Excel 2010 do not recognize the STDEV.S function; in these versions of Excel, one can use the function STDEV. The results will be the same. Simulation studies enable an objective estimate of the probability of a loss, which is an important aspect of risk analysis.

FIGURE 11.9 OUTPUT FROM SANOTRONICS SIMULATION

	A	B	C	D	E	F	G	H	I	J	K
1	Sanotronics										
3	Parameters										
4	Selling Price per Unit	\$249									
5	Administrative & Advertising Cost	\$1,000,000									
6	Direct Labor Cost Per Unit	\$45									
7	Parts Cost Per Unit	\$86.29									
8	Demand	19,976									
9											
10	Model										
11	Profit	\$1,351,439									
12											
13	Direct Labor Cost										
14	Lower End of Interval	Upper End of Interval	Cost per Unit	Probability	Lower Bound	\$80					
15	0.0	0.1	\$43	0.1	Upper Bound	\$100					
16	0.1	0.3	\$44	0.2							
17	0.3	0.7	\$45	0.4	Demand (Normal Distribution)						
18	0.7	0.9	\$46	0.2	Mean	15,000					
19	0.9	1.0	\$47	0.1	Standard Deviation	4,500					
20											
21	Simulation Trial	Direct Labor Cost Per Unit	Parts Cost Per Unit	Demand	Profit	Profit Summary Statistics					
22	1	\$45	\$86.29	19,976	\$1,351,439	Mean	\$717,663	Bin	Frequency		
23	2	\$45	\$81.02	14,910	\$833,700	Standard Deviation	\$521,536	-\$1,500,000	0		
24	3	\$46	\$98.15	18,570	\$947,064	Minimum Profit	-\$996,547	-\$1,250,000	0		
25	4	\$45	\$92.29	12,561	\$403,085	Maximum Profit	\$2,253,674	-\$1,000,000	0		
26	5	\$47	\$88.82	6,844	-\$225,345	P(Profit < \$)	0.078	-\$750,000	3		
27	6	\$45	\$95.98	15,337	\$656,778			-\$500,000	4		
28	7	\$44	\$88.23	18,723	\$1,186,276			-\$250,000	22		
29	8	\$47	\$96.20	17,589	\$861,005			\$0	49		
30	9	\$44	\$85.97	19,967	\$1,376,760			\$250,000	113		
31	10	\$45	\$89.62	14,056	\$607,650			\$500,000	151		
32	11	\$45	\$85.96	11,204	\$322,448			\$750,000	188		
33	12	\$45	\$92.06	11,150	\$248,172			\$1,000,000	193		
34	13	\$47	\$85.34	11,880	\$385,901			\$1,250,000	122		
35	14	\$44	\$80.05	24,733	\$2,090,469			\$1,500,000	79		
36	15	\$46	\$92.47	10,933	\$208,447			\$1,750,000	47		
37	16	\$45	\$81.61	17,453	\$1,136,087			\$2,000,000	20		
38	17	\$45	\$84.16	13,205	\$582,483			\$2,250,000	7		
39	18	\$45	\$93.07	15,809	\$753,735			\$2,500,000	2		
40	19	\$47	\$85.33	9,422	\$99,247			\$2,750,000	0		
41	20	\$43	\$83.58	13,599	\$664,800			\$3,000,000	0		
42	21	\$47	\$92.23	17,168	\$884,578				0		
1021	1,000	\$45	\$92.87	22,467	\$1,496,677				0		