

PROGRAM 3.2A
Excel QM Results for
Thompson Lumber
Example

To see the formulas, hold down the control key (Ctrl) and press the ` (grave accent) key, which is usually found above the Tab key.

Profit	Favorable Market	Unfavorable Market	EMV	Minimum	Maximum
Probability	0.5	0.5			
Large plant	200000	-180000	10000	-180000	200000
Small plant	100000	-20000	40000	-20000	100000
Do nothing	0	0	0	0	0
			Maximum	40000	0 200000

Expected Value of Perfect Information			100000	< Expected value WITH perfect information	
Column best	200000	0	40000	< Best expected value	
			60000	< Expected value OF perfect information	

Regret	Favorable Market	Unfavorable Market	Expected	Maximum
Probability	0.5	0.5		
Large plant	0	180000	90000	180000
Small plant	100000	20000	60000	100000
Do nothing	200000	0	100000	200000
			Minimum	60000 100000

PROGRAM 3.2B
Key Formulas in Excel
QM for Thompson
Lumber Example

	E	F	G
9	=SUMPRODUCT(\$B\$8:\$C\$8,B9:C9)	=MIN(B9:C9)	=MAX(B9:C9)
10	=SUMPRODUCT(\$B\$8:\$C\$8,B10:C10)	=MIN(B10:C10)	=MAX(B10:C10)
11	=SUMPRODUCT(\$B\$8:\$C\$8,B11:C11)	=MIN(B11:C11)	=MAX(B11:C11)
12	=MAX(E9:E11)	=MAX(F9:F11)	=MAX(G9:G11)
15	=SUMPRODUCT(\$B\$8:\$C\$8,B15:C15)	< Expected value W	
16	=E12	< Best expected val	
17	=E15-E12	< Expected value O	
20	Expected	Maximum	
22	=SUMPRODUCT(\$B\$8:\$C\$8,B22:C22)	=MAX(B22:C22)	
23	=SUMPRODUCT(\$B\$8:\$C\$8,B23:C23)	=MAX(B23:C23)	
24	=SUMPRODUCT(\$B\$8:\$C\$8,B24:C24)	=MAX(B24:C24)	
25	=MIN(E22:E24)	=MIN(F22:F24)	

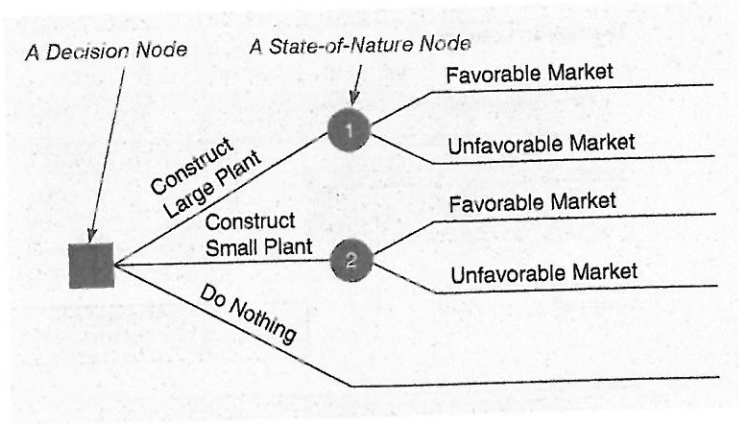
3.8 Decision Trees

Any problem that can be presented in a decision table can also be graphically illustrated in a **decision tree**. All decision trees are similar in that they contain *decision points* or **decision nodes** and *state-of-nature points* or **state-of-nature nodes**:

- A decision node from which one of several alternatives may be chosen
- A state-of-nature node out of which one state of nature will occur

In drawing the tree, we begin at the left and move to the right. Thus, the tree presents the decisions and outcomes in sequential order. Lines or branches from the squares (decision nodes) represent alternatives, and branches from the circles represent the states of nature. Figure 3.2 gives the basic decision tree for the Thompson Lumber example. First, John decides whether to construct a large plant, a small plant, or no plant. Then, once that decision is made, the possible states of nature or outcomes (favorable or unfavorable market) will occur. The next step is to put the payoffs and probabilities on the tree and begin the analysis.

FIGURE 3.2
Thompson's Decision Tree



Analyzing problems with decision trees involves five steps:

Five Steps of Decision Tree Analysis

1. Define the problem.
2. Structure or draw the decision tree.
3. Assign probabilities to the states of nature.
4. Estimate payoffs for each possible combination of alternatives and states of nature.
5. Solve the problem by computing EMVs for each state-of-nature node. This is done by working backward, that is, starting at the right of the tree and working back to decision nodes on the left. Also, at each decision node, the alternative with the best EMV is selected.

The final decision tree with the payoffs and probabilities for John Thompson's decision situation is shown in Figure 3.3. Note that the payoffs are placed at the right side of each of the tree's branches. The probabilities are shown in parentheses next to each state of nature. Beginning with the payoffs on the right of the figure, the EMVs for each state-of-nature node are then calculated and placed by their respective nodes. The EMV of the first node is \$10,000. This represents the branch from the decision node to construct a large plant. The

FIGURE 3.3
Completed and Solved Decision Tree for Thompson Lumber

